8.1 Explain the difference between internal and external fragmentation.

Answer:
The main deference is the allocation operation
› External fragmentation: memory space is NOT allocated and unused
› Internal Fragmentation: memory space is allocated and unused

8.16 Given five memory partitions of 100 KB, 500 KB, 200 KB, 300 KB, and 600 KB (in order), how would each of the first-fit, best-fit, and worst-fit algorithms place processes of 212 KB, 417 KB, 112 KB, and 426 KB (in order)? Which algorithm makes the most efficient use of memory?

Answer:
Let p1, p2, p3 & p4 are the names of the processes

a. First-fit:
   - P1>>> 100, 500, 200, 300, 600
   - P2>>> 100, 288, 200, 300, 600
   - P3>>> 100, 288, 200, 300, 183
   - 100, 116, 200, 300, 183 <<<<< final set of hole
   - P4 (426K) must wait

b. Best-fit:
   - P1>>> 100, 500, 200, 300, 600
   - P2>>> 100, 500, 200, 88, 600
   - P3>>> 100, 83, 200, 88, 600
   - P4>>> 100, 83, 88, 88, 600
   - 100, 83, 88, 88, 174 <<<<< final set of hole

c. Worst-fit:
   - P1>>> 100, 500, 200, 300, 600
   - P2>>> 100, 500, 200, 300, 388
   - P3>>> 100, 83, 200, 300, 388
   - 100, 83, 200, 300, 276 <<<<< final set of hole
   - P4 (426K) must wait
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In this example, Best-fit turns out to be the best because there is no wait processes.

8.14 Consider a logical address space of 64 pages of 1024 words each, mapped onto a physical memory of 32 frames.

a. How many bits are there in the logical address?
b. How many bits are there in the physical address?

Answer:

Method 1:

a) $m = ???$

Size of logical address space = $2^m = \# \text{ of pages } \times \text{ page size}$

$2^m = 64 \times 1024$

$2^m = 2^6 \times 2^{10}$

$2^m = 2^{16}$ »» $m = 16$ bit

Method 2:

$m = ???$

# of pages = $2^{m-n}$

$n = ???$

Page size = $2^n$

$1024 = 2^n$

$2^{10} = 2^n$ »» $n = 10$ bit

Again: # of pages = $2^{m-n}$

$64 = 2^{m-10}$

$2^6 = 2^{m-10}$

$6 = m-10$ »» $m = 16$ bit

b) Let $(x)$ is number of bits in the physical address

$x = ???$

Size of physical address space = $2^x$

Size of physical address space = # of frames $\times$ frame size

(frame size = page size )

Size of physical address space = $32 \times 1024$

$2^5 = 2^5 \times 2^{10}$

$2^5 = 2^{15}$

»» number of required bits in the physical address = $x = 15$ bit

8.22 Consider a logical address space of 32 pages of 1024 words per page, mapped onto a physical memory of 16 frames.

a. How many bits are required in the logical address?
b. How many bits are required in the physical address?

Answer:

a) $m = ???$

(أخيتي.....لا تنسينا من صالح دعائك)
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Size of logical address space \( = 2^m \) = # of pages × page size  
\[ = 32 \times 1024 = 2^{15} \] \( \Rightarrow m=15 \) bit

b) Size of physical address space = # of frames × frame size  
(frame size = page size)

Size of physical address space = \( 16 \times 1024 = 2^{14} \)  
\( \Rightarrow \) number of required bits in the physical address =14 bit

**8.19** Assuming a 1-KB page size, What are the page numbers and offsets for the following address references (provided as decimal numbers)

- a. 2375
- b. 19366
- c. 30000
- d. 256
- e. 16385

**Answer:**

Page size \( = 2^n = 1024 \) B = \( 2^{10} \) B  
# of bits in offset part (n) =10

**Solution steps:**

1. Convert logical address: Decimal \( \rightarrow \) Binary
2. Split binary address to 2 parts (page #, Offset), offset : n digits
3. Convert offset & page#: Binary \( \rightarrow \) Decimal

<table>
<thead>
<tr>
<th>Logical address (decimal)</th>
<th>Logical address (binary)</th>
<th>Page # (6 bits) (binary)</th>
<th>Offset (10 bits) (binary)</th>
<th>Page # (decimal)</th>
<th>Offset (decimal)</th>
</tr>
</thead>
<tbody>
<tr>
<td>2375</td>
<td>0000 1001 0100 0111</td>
<td>0000 10</td>
<td>01 0100 0111</td>
<td>2</td>
<td>327</td>
</tr>
<tr>
<td>19366</td>
<td>0100 1011 1010 0110</td>
<td>0100 10</td>
<td>11 1010 0110</td>
<td>18</td>
<td>934</td>
</tr>
<tr>
<td>30000</td>
<td>0111 0101 0011 0000</td>
<td>0111 01</td>
<td>01 0011 0000</td>
<td>29</td>
<td>304</td>
</tr>
<tr>
<td>256</td>
<td>0000 0001 0000 0000</td>
<td>0000 00</td>
<td>01 0000 0000</td>
<td>0</td>
<td>256</td>
</tr>
<tr>
<td>16385</td>
<td>0100 0000 0000 0001</td>
<td>0100 00</td>
<td>00 0000 0001</td>
<td>16</td>
<td>1</td>
</tr>
</tbody>
</table>

**8.10** Consider a paging system with the page table stored in memory.

a. If a memory reference takes 200 nanoseconds, how long does a paged memory reference take?

b. If we add associative registers, and 75 percent of all page-table references are found in the associative registers, what is the effective memory reference time? (Assume...
that finding a page-table entry in the associative registers takes zero time, if the entry is there.)

Answer:
a. memory reference time= 200+200= 400 ns
( 200 ns to access the page table in RAM and 200 ns to access the word in memory)

b. 

Case (1) : page entry found in associative registers (part1)
Memory access time = 0+200=200 ns
( 0 ns to access the page table in associative registers and 200 ns to access the word in memory)

Case (2) : page entry NOT found in associative registers (part1) but found in page table in RAM
Memory access time = 0+200+200=400 ns
( 0 ns to access the page table in associative registers (part1) ,200 ns to access the page table(part2) in RAM and 200 ns to access the word in memory)

>>> Effective access time =\sum [probability of the case \times access time of this case]
Effective access time = [0.75 \times 200] + [0.25 \times 400]= 250 ns.

* * * *

8.18 Consider a computer system with a 32-bit logical address and 4-KB page size. The system supports up to 512MB of physical memory. How many entries are there in each of the following:
a. A conventional single-level page table

Answer:
a) # of pages= # of entries =????
Size of logical address space = 2^m = # of pages \times page size
\Rightarrow 2^{32} = # of pages \times 2^{12}
# of pages =2^{32} / 2^{12} = 2^{20} pages

* * * *
8.21 Consider the following segment table:

<table>
<thead>
<tr>
<th>Segment</th>
<th>Base</th>
<th>Length</th>
</tr>
</thead>
<tbody>
<tr>
<td>0</td>
<td>219</td>
<td>600</td>
</tr>
<tr>
<td>1</td>
<td>2300</td>
<td>14</td>
</tr>
<tr>
<td>2</td>
<td>90</td>
<td>100</td>
</tr>
<tr>
<td>3</td>
<td>1327</td>
<td>580</td>
</tr>
<tr>
<td>4</td>
<td>1952</td>
<td>96</td>
</tr>
</tbody>
</table>

What are the physical addresses for the following logical addresses?

a. 0,430
b. 1,10
c. 2,500
d. 3,400
e. 4,112

Answer:

a. \((430 < 600)\) \text{ True } \implies \text{ physical address} = 219 + 430 = 649
b. \((10 < 14)\) \text{ True } \implies \text{ physical address} = 2300 + 10 = 2310
c. \((500 < 100)\) \text{ False } \implies \text{ illegal reference, trap to operating system}
d. \((400 < 580)\) \text{ True } \implies \text{ physical address} = 1327 + 400 = 1727
e. \((112 < 96)\) \text{ False } \implies \text{ illegal reference, trap to operating system}

8.17 Describe a mechanism by which one segment could belong to the address space of two different processes.

Answer: Since segment tables are a collection of base–limit registers, segments can be shared when entries in the segment table of two different jobs point to the same physical location. \textit{The two segment tables must have identical base and limit values.}
8.2 Compare the main memory organization schemes of contiguous-memory allocation, pure segmentation, and pure paging with respect to the following issues:

a. external fragmentation
b. internal fragmentation
c. ability to share code across processes

**Answer:**

<table>
<thead>
<tr>
<th>Method</th>
<th>External fragmentation</th>
<th>Internal fragmentation</th>
<th>ability to share code</th>
</tr>
</thead>
<tbody>
<tr>
<td>contiguous-memory allocation (variable size</td>
<td>There is external fragmentation (as address spaces are allocated contiguously and holes</td>
<td>There is no internal fragmentation</td>
<td>It does not allow processes to share code.</td>
</tr>
<tr>
<td>method)</td>
<td>develop as finished processes release its space and new processes are allocated and the size of the new process is almost smaller than the old one)</td>
<td></td>
<td></td>
</tr>
<tr>
<td>contiguous-memory allocation (fixed size</td>
<td>There is no external fragmentation</td>
<td>There is internal fragmentation (the size of the partition is</td>
<td></td>
</tr>
<tr>
<td>partition method)</td>
<td></td>
<td>almost bigger than the process’s size)</td>
<td></td>
</tr>
<tr>
<td>pure paging</td>
<td>There is no external fragmentation</td>
<td>There is internal fragmentation (it appears in the last frame</td>
<td>Able to share code between processes</td>
</tr>
<tr>
<td></td>
<td></td>
<td>because the process size almost not a multiplex of page size)</td>
<td></td>
</tr>
<tr>
<td>pure segmentation</td>
<td>There is external fragmentation (fragmentation would occur as segments of finished</td>
<td>There is no internal fragmentation</td>
<td>Able to share code between processes</td>
</tr>
<tr>
<td></td>
<td>processes are replaced by segments of new processes. and the size of the new process is</td>
<td>almost smaller than the old one)</td>
<td></td>
</tr>
<tr>
<td></td>
<td>almost smaller than the old one)</td>
<td></td>
<td></td>
</tr>
</tbody>
</table>

****

**Good Luck**

*Reem Al Salih*
**Course:** Operating system

>> How to convert from logical address to physical address in paging???

Physical address = base address + offset
= (frame # * frame size) + offset

**IMPORTANT NOTE:**

**Paging arithmetic laws:**

Page size = frame size
Logical address space (/size) = $2^n$
Physical address space (/size) = $2^x$ (where $x$ is the number of bits in physical address)
Logical address space (/size) = # of pages × page size
Physical address space (/size) = # of frames × frame size
Page size = frame size = $2^n$
# of pages = $2^{m-n}$
# of entries (records) in page table = # of pages

>> How to convert from logical address to physical address in segmentation???

IF (offset < limit) then

Physical address = base address + offset

Else

Trap (address error)

Effective access time =

$\sum \text{[probability of the case} \times \text{access time of this case]}$

Where ($\sum$ probability of all cases = 100%)